## Chemistry 4631

### Instrumental Analysis Lecture 12



# Nuclear Magnetic Resonance Spectroscopy (NMR)

#### History

- W. Pauli 1924 atomic nuclei have properties of spin and magnetic moment and exposure to magnetic field would split energy levels.
- Bloch and Purcell 1946 demonstrated nuclei absorb electromagnetic radiation in a strong magnetic field with energy level splitting. (1952 – Nobel Prize)

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1953 – 1<sup>st</sup> high resolution NMR spectrometer – Varian

Pre 1970's – continuous wave (CW) NMR Post 1970's – fourier transform (FT) NMR Nuclear Magnetic Resonance Spectroscopy (NMR)

NMR measures absorption of electromagnetic radiation by atomic nuclei in the radio frequency region of 4 - 900 MHz.

For absorption to occur the analyte is placed in an intense magnetic field.

Nuclei of atoms rather than outer electrons are involved in the absorption process.

### **Quantum Theory**

Nuclei rotate about an axis and have a spin with angular momentum, p.

In many atoms (such as <sup>12</sup>C) these spins are paired against each other, such that the nucleus of the atom has no overall spin. However, in some atoms (such as <sup>1</sup>H and <sup>13</sup>C) the nucleus does possess an overall spin.

The angular momentum is quantized and must be an integral or half-integral multiple of  $h/2\pi$ 

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(h – Planck's constant).

### **Quantum Theory**

- The rules for determining the net spin of a nucleus are as follows;
- 1. If the number of neutrons and the number of protons are both even, then the nucleus has NO spin.
- If the number of neutrons plus the number of protons is odd, then the nucleus has a half-integer spin (i.e. 1/2, 3/2, 5/2)
- If the number of neutrons and the number of protons are both odd, then the nucleus has an integer spin (i.e. 1, 2, 3)

**Quantum Theory** Maximum number of values for p is the spin quantum number, I. The nucleus has 2I + 1 discrete states. In absence of an external field, the various states have identical energies. Each nucleus has 2 spin states: I = +1/2 and I = -1/2Magnetic quantum states, m m = I, I-1, I-2, ..., -IIf  $I = \frac{1}{2}, m = -\frac{1}{2}, +\frac{1}{2}$  I = 1, m = -1, 0, 1

Mass #	<u>atomic number</u>	<u>spin#</u>	
Odd	even or odd	<sup>1</sup> / <sub>2</sub> , 3/2, 5/2,	
Even	even	0	
Even	odd	1, 2, 3	

 $I = 0 \text{ (non-spinning nuclei)} {}^{12}\text{C} {}^{16}\text{O}$   $I = \frac{1}{2} \text{ (spherical spinning charges)} {}^{1}\text{H} {}^{13}\text{C} {}^{19}\text{F} {}^{31}\text{P}$   $I > \frac{1}{2} \text{ (nonspherical spinning charges)} \text{ have both}$ magnetic moment and quadrupole  $I = 1 \quad {}^{2}\text{H} {}^{14}\text{N} \qquad I = 3/2 \quad {}^{11}\text{B} {}^{35}\text{Cl} {}^{37}\text{Cl} {}^{79}\text{Br}$   $I = 2 \quad {}^{36}\text{Cl} {}^{58}\text{Co} \qquad I = 5/2 \quad {}^{25}\text{Mg} {}^{27}\text{Al}$ 

### **Quantum Theory**

The nuclei of greatest use in NMR are <sup>1</sup>H, <sup>13</sup>C, <sup>19</sup>F, and <sup>31</sup>P.

A spinning, charged nucleus creates a magnetic field.  $\mu = \gamma p$  (Larmor equation)

- μ magnetic moment
- p angular moment

 $\gamma-proportionality\ constant\ called\ the magnetogyric\ ratio\ (value\ differs\ with\ type\ of nucleus)$ 

TABLE 19-1 Magnetic Properties of Important Nuclei with Spin Quantum Numbers of 1/2

Nucleus	Magnetogyric Ratio, radian T <sup>-1</sup> s <sup>-1</sup>	Isotopic Abundance, %	Relative Sensitivity <sup>a</sup>	Absorption Frequency, MHz <sup>b</sup>
<sup>1</sup> H	$2.6752 \times 10^{8}$	99.98	1.00	200.00
<sup>13</sup> C	$6.7283 \times 10^{7}$	1.11	0.016	50.30
<sup>19</sup> F	$2.5181 \times 10^{8}$	100.00	0.83	188.25
<sup>31</sup> P	$1.0841  imes 10^8$	100.00	0.066	81.05

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<sup>a</sup>At constant field for equal number of nuclei.

<sup>b</sup>At a field strength of 4.69 T.

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#### **Energy Levels**

When a nucleus with a spin of <sup>1</sup>/<sub>2</sub> is exposed to a magnetic field, B<sub>0</sub>, the magnetic moment becomes oriented in one or two directions with respect to the field.



Energy Levels Potential energy, E, of a nucleus is given by:  $E = -(\gamma m h) / (2 \pi) Bo$ 

Transition between energy states can be brought about by absorption or emission of radiation of a frequency,  $v_0$ .

 $\mathbf{v}_{\mathbf{o}} = (\gamma \mathbf{B}_{\mathbf{o}})/(2 \pi)$ 

#### **Energy Levels**

In the absence of magnetic fields, the energy of the magnetic quantum states of a nucleus are identical.

When placed in a magnetic field, the nuclei tend to orient so that the lower energy state (m = +1/2) predominates.

Just like in optical spectroscopy – transition between energy states can be brought about by absorption or emission of electromagnetic radiation.

For H (proton) absorption to occur need ~ 200 MHz.

#### **Energy Levels**

The relative number of excess low energy nuclei is linearly related to the magnetic field strength. (Boltzman equation) The intensity of an NMR signal increases linearly as the field strength increases. **Therefore manufactures are always trying to** produce magnets with higher field strength.

Energy Levels Boltzman equation  $N_j/N_o = exp(-\Delta E/kT)$ 

- $N_{j}$  # of protons in higher energy state (m = -1/2)  $N_{o}$  # in lower energy state
- k Boltzman constant (1.38 x 10<sup>-23</sup> J K<sup>-1</sup>)
- **T** absolute temperature
- $\Delta E$  difference in energy between two states



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LUMA .

**Relaxation process in NMR spectrum** 

 Spin-lattice or longitudinal relaxation Energy lost in lattice, gives sharp lines.
Spin-spin or transverse relaxation Energy lost by spin exchange with

**Energy lost by spin exchange with neighbor.** 

### Relaxation process in NMR spectrum Spin-lattice relaxation

Absorbing nuclei in an NMR experiment are part of the larger collection of atoms that make up the sample.

The entire collection is called the lattice.

The lattice field contains a continuum of magnetic components some which correspond in frequency and phase with the precessional frequency of the magnetic nuclei of interest.

### **Relaxation process in NMR spectrum Spin-spin relaxation**

Two neighboring nuclei of identical precession rates, but different magnetic quantum states, can interact with each other to cause interchange of states.

Nucleus in lower spin state is excited while excited nucleus relaxes to lower energy state. This shortens the average lifetime of the excited nucleus and broadens the line.

**Relaxation process in NMR spectrum Spin-spin relaxation** 

This spin-spin relaxation is small (10<sup>-4</sup> sec) and not seen except by using special techniques such as <sup>13</sup>C NMR of solids.



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### **Techniques of NMR spectra**

- Wide-line spectra
- High-resolution spectra

**Techniques of NMR spectra** Wide-line spectra **Bandwidth is large enough to obscure** fine structure due to chemical environment. **Usually obtained at relatively low** magnetic field strength.

**Techniques of NMR spectra High-resolution spectra** Most common. Instruments can differentiate between small frequencies of 0.01 ppm or less. **Shows difference in chemical** environments.

(a) Low resolution



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### **Environmental Effects**

Frequency of RF radiation absorbed by a nucleus is strongly affected by its chemical environment (i.e. nearby electrons and nuclei)

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This can be used to obtain spectral information on molecules.

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Environmental effects Types of environmental effects – Chemical shift – Spin-spin splitting

**Environmental effects Chemical shift Protons from different functional groups** will have differences in absorption frequencies leading to a shift in the spectrum. **Peak separation is proportional to field** strength.

Environmental effects Spin-spin splitting Splitting of a peak related to the same functional group. Peak separation is independent of field strength.

### **Environmental effects**



Environmental effects Chemical shift Caused by small magnetic fields generated by electrons as they oscillate around nuclei.

**Usually oppose the applied field.** 

### Environmental effects Chemical shift Magnitude of field developed internally is

proportional to the applied external field.

$$\mathbf{B}_{o} = \mathbf{B}_{appl} - \boldsymbol{\sigma} \mathbf{B}_{appl} = \mathbf{B}_{appl} (1 - \boldsymbol{\sigma})$$

 $B_{appl}$  – magnitude of applied field  $B_{o}$  – magnitude of resultant field  $\sigma$  – screening constant – determined by electron density and spatial distribution around the nucleus.

### **Environmental effects Chemical shift**

Magnitude of field developed internally is proportional to the applied external field.

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$$\mathbf{B}_{o} = \mathbf{B}_{appl} - \boldsymbol{\sigma} \mathbf{B}_{appl} = \mathbf{B}_{appl} (1 - \boldsymbol{\sigma})$$

 $v_o = \gamma/2\pi B_o (1-\sigma) = k (1-\sigma)$  $k = \gamma B_o/2\pi$ 

Environmental effects Spin-spin splitting Splitting of chemical shift peaks occur when magnetic moment of a nucleus interacts with magnetic moment of immediate adjacent nuclei.

# Assignment

- Read Chapter 19
- HW7 Chapter 19: 2, 3, 4, and 31- 37
- HW7 Due 2/26/24
- <u>http://teaching.shu.ac.uk/hwb/chemistry/tutorials/molspec/</u> <u>nmr1.htm</u>
- <u>http://teaching.shu.ac.uk/hwb/chemistry/tutorials/molspec/</u> <u>nmr2.htm</u>
- <u>http://teaching.shu.ac.uk/hwb/chemistry/tutorials/molspec/</u> <u>nmr3.htm</u>
- <u>http://teaching.shu.ac.uk/hwb/chemistry/tutorials/molspec/</u> <u>nmr4.htm</u>